Problem 1: Solution

clear
close all
clc
disp('Urban Meyer, Seat #01');
disp('ENGR 1181');
disp('Practice Problem 1');
disp('AU 14 Prof: Woody Hayes');
disp('11/4/14');
g = 9.81;
for i = 1:3
  v0 = input('Enter the initial speed for this launch (m/s): ');
  theta = input('Enter the angle of launch (degrees): ');
  D(i) = v0^2*sin(2*theta/180*pi)/g;
  fprintf('For Launch %i the distance traveled was %.2f meters\n',i,D(i));
end

MATLAB Command Window Page 1
Urban Meyer, Seat #01
ENGR 1181
Practice Problem 1
AU 14 Prof: Woody Hayes
11/4/14
Enter the initial speed for this launch (m/s): 50
Enter the angle of launch (degrees): 30
For Launch 1 the distance traveled was 220.70 meters
Enter the initial speed for this launch (m/s): 25
Enter the angle of launch (degrees): 60
For Launch 2 the distance traveled was 55.17 meters
Enter the initial speed for this launch (m/s): 36
Enter the angle of launch (degrees): 45
For Launch 3 the distance traveled was 132.11 meters

Problem 2: Solution

clear
close all
clc
disp('Urban Meyer, Seat #01');
disp('ENGR 1181');
disp('Practice Problem 2');
disp('AU 14 Prof: Woody Hayes');
disp('11/4/14');
% Req = R1 + (1/R2 + 1/R3)^-1;
% This is because R2 and R3 are in parallel
% That combination is in series with R1
% % Vpower = I1*Req
% I1 = Vpower/Req
% This is because I1 is the current through the power supply traveling
% through the equivalent resistance
%
% V23 = Vpower - I1*R1
% This is because the voltage across the combination in parallel is the
% difference between the supply voltage and the voltage across R1
% V23 = I2*R2
% I2 = V23/R2
% V23 = I3*R3
% I3 = V23/R3
% These relationships are true because the voltage across the parallel
% combination is the same for each side, so it can be used to find the
% current on each side of that combination with the known resistances.

for i = 1:3
Vpower = input('Enter the power supply voltage (V): ');
R1 = input('Enter the resistance of R1 (in ohms): ');
R2 = input('Enter the resistance of R2 (in ohms): ');
R3 = input('Enter the resistance of R3 (in ohms): ');
Req = R1 + (1/R2 + 1/R3)^-1;
I1 = Vpower/Req;
V23 = Vpower - I1*R1;
I2 = V23/R2;
I3 = V23/R3;
fprintf('For the power supply of %i V: I1 was %.2f A, I2 was %.2f A, I3 was %.2f A\n',Vpower,I1,I2,I3);
end

MATLAB Command Window Page 1
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Practice Problem 2
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Enter the power supply voltage (V): 12
Enter the resistance of R1 (in ohms): 50
Enter the resistance of R2 (in ohms): 75
Enter the resistance of R3 (in ohms): 90
For the power supply of 12 V: I1 was 0.13 A, I2 was 0.07 A, I3 was 0.06 A
Enter the power supply voltage (V): 9
Enter the resistance of R1 (in ohms): 100
Enter the resistance of R2 (in ohms): 50
Enter the resistance of R3 (in ohms): 90
For the power supply of 9 V: I1 was 0.07 A, I2 was 0.04 A, I3 was 0.03 A
Enter the power supply voltage (V): 6
Enter the resistance of R1 (in ohms): 150
Enter the resistance of R2 (in ohms): 80
Enter the resistance of R3 (in ohms): 120
For the power supply of 6 V: I1 was 0.03 A, I2 was 0.02 A, I3 was 0.01 A

Problem 3: Solution

Problem 3: Solution
p = 1.29;
for i = 1:4
m = input('Enter the object''s mass: ');
Cd = input('Enter the drag coefficient of the object: ');
A = input('Enter the frontal area of the object (m^2): ');
Vt(i) = sqrt(2*m*g/(p*A*Cd));
fprintf('For object %i: the terminal velocity was %.2f m/s \n',i,Vt(i));
end
v_max=Vt(1);
counter=1;
for z=2:4
  if Vt(z)>v_max
    v_max=Vt(z);
    counter=z;
  end
end
fprintf('Object #%i had the maximum terminal velocity of %.2f m/s \n',z,v_max);

>> Example_3
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ENGR 1181
Practice Problem 3
AU 14 Prof: Woody Hayes
11/4/14
Enter the object's mass: 20
Enter the drag coefficient of the object: .48
Enter the frontal area of the object (m^2): .5
For object 1: the terminal velocity was 35.60 m/s
Enter the object's mass: 40
Enter the drag coefficient of the object: .5
Enter the frontal area of the object (m^2): 2
For object 2: the terminal velocity was 24.67 m/s
Enter the object's mass: 30
Enter the drag coefficient of the object: .49
Enter the frontal area of the object (m^2): 3
For object 3: the terminal velocity was 17.62 m/s
Enter the object's mass: 50
Enter the drag coefficient of the object: .39
Enter the frontal area of the object (m^2): .75
For object 4: the terminal velocity was 50.99 m/s

Object #4 had the maximum terminal velocity of 50.99 m/s
>>
1. The modulus of elasticity is defined as:

   a) The ratio of yield stress to strain ($y_s/\varepsilon$) in the plastic region.

   b) The slope of strain to stress ($\varepsilon/\sigma$) in the elastic region.

   c) The slope of stress to strain ($\sigma/\varepsilon$) in the elastic region.

   d) The ratio of stress to strain ($\sigma/\varepsilon$) in the plastic region.

   e) The slope of stress to material stiffness ($\sigma/E$) in the elastic region.
2. Write the command to create a vector, \( x \), starting at 50 and ending at 5 with values every 0.2, which displays the created vector in the command window.
\[
x = [50:-.2:5]
\]

3. What is the command to use a built-in system function to find the average of the vector \( x \) from question #1 above, assign the value to \( \text{RESULT} \), and suppress output in the command window?
\[
\text{RESULT} = \text{mean}(x);
\]

4. If \( C = [1 \ 2 \ 3 \ 4] \) and \( D = [7 \ 8 \ 9] \), what is the command to create a single row array \( x \) with the elements of \( C \) and \( D \) (afterwards \( x = [1 \ 2 \ 3 \ 4 \ 7 \ 8 \ 9] \))?
\[
x = [C \ D];
\]

5. Write the command to find the sine of 30°? \( \sin(30/180\pi) \); OR \( \text{sind}(30) \);

6. The Solar Meter Lab used a Trim Pot (Trim Potentiometer) in the breadboard setup. When you turn the knob on the TrimPot, which variable is adjusted?

   Resistance

7. Given that \( x=[1 \ 2 \ 3 \ 4; \ 5 \ 6 \ 7 \ 8; \ 9 \ 10 \ 11 \ 12] \) has been assigned, what would be the result of 
   \[
y = x(2:3,[1 \ 2 \ 4])
\]

   \[
y = [5 \ 6 \ 8 \\
   \quad 9 \ 10 \ 12]
\]

8. Write a single statement that prompts the user with ‘Please enter the day of the week:’ Assign the results to a variable called ‘\text{today}’, suppressing any outputs to Command Window.
\[
\text{today} = \text{input}('Please enter the day of the week: ','s');
\]

9. Given a 10 by 3 matrix \( M \), write a single command that extracts all members of the 3\text{rd} column of matrix \( M \) and assigns it to a vector called \( M_{col\_3} \) using the colon operator.
\[
M_{col\_3} = M(:,3);
\]

10. A vector \( x \) is defined in MATLAB by: \( x = [1:2:7]; \)

    Consider the equation: \( y = \frac{x^2}{(x+3)} \)

    Write a MATLAB command that creates a vector \( y \) where each element has a value calculated by the equation with the corresponding element in the vector \( x \).
\[
y = x.^2./(x+3);
\]